## Tutorial for TUF-PL

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## 1. Introduction

This is a short tutorial for the programming language TUF-PL; for details, see thelanguage specification and the documentation for the standard library functions.

TUF-PL is a precompiler for the C programming language, thus it is fairly easy to port the compiler — written in TUF-PL - to most computers.

The differences and highlights are:

- Block structuring by indentation, like in PYTHON; line oriented
- No keywords in the core language, only symbols and digraphs
- Function definition and calls by word sequences with interspersed parameters, often no parenthesis needed
- Integer and string addressed dynamic rows and maps
- Arbitrary precision integer numbers
- dynamic UTF strings
- fields for extra data in rows and maps
- attributes for information about an item (object)
- fault items for reliable error handling

The example programs may be tested online athttp://rclab.de/TUF-Online.
The term digraph is used for two special characters without white space in between.
All programs need to include the definitions of the standard library, as shown in the first example. For easier reading, it will be omitted from the other examples.

## 2. First steps

### 2.1. Hello, World!

Here is the inevitable program that just prints a message:
\the famous sample program prints just a greeting
main (parms):+
print "Hello, world!"
\+ TUFPL_stdlib.tufh
producing the output

## Hello, world

First of all, the backslash exclusively starts comments and pragmas (that control the compiler); in our example, they start in column 1 (remember that the examples are indented for readability).

As in $C$, the main program is called main with the parameter mapparms, that will be explained later. A function definition like main (parms) always starts in column 1 and ends in a colon; here with the digraph :+ to make it externally visible.

The main program has only one statement, that must be indented, i.e. not start in column 1 of a line. Here, it is a call to the standard library function print with one parameter, the string"Hello, world!".

The missing parenthesis around the parameter are correct; you will soon observe - and hopefully appreciate the few situations in which (balanced) parenthesis are needed.

The last line includes from a file the templates (i.e. definitions) of the library functions used print () in this case. You may select a different library, e.g. one using French:

```
\célèbre programme pour émettre un salut
main (paramètres):+
    tirer "Bonjour, le monde!"
l+ TUFPL_stdlib.fr.tufh
```

Please supply one in Russian, Italian, Spanish or whatever you like.
TUF-PL is fully UTF-aware, and it's easy, as there are no keywords; just translate the function templates.

### 2.2. Print table of squares: loops

As the very first computers were made to compute, the could not print character strings, just numbers. Thus, printing a table of squares is one of the earliest programming tasks:

```
\(squares: Print squares of numbers
\)
main (parms):+
    i =: 1
    ?* i < 11
        print i
        i =+ 1
\+ TUFPL_stdlib.tufh
```

The output should be:

```
11
24
39
416
525
636
74
84
981
10100
```

First, the block comment is a bit unusual, using $\backslash$ to open and $\backslash$ ( to close; but as said before, a backslash is only used for comments, and everything that starts with a backslash is a comment or a pragma.

The first line is an assignment that puts the integer number 1 into the variable $;$; but - as PASCAL and ALGOL users might appreciate, and C and JAVA programmers might find at least funny - the assignment symbol is not just the equals sign, but the digraph =: (two special characters glued) ${ }^{1}$. In contrast to ALGOL and PASCAL, the symbol starts with an equals sign, because there are more assignment symbols like =+ and =-.

The next line is a simple loop that repeats while the expressioni< 11 is true. The body of the loop is again
indented, two lines to print and to increment the index i.
To compose the print line, the underscore is used to combine strings. While in general numbers and strings may not be used interchangeably, the print function as well as the catenation operator denoted by the underscore_ use a built-in conversion function to convert any number to a string in a standard format.

Thus, the print function still sees only one parameter, and this is the string expression i __i*i. (The double underscore inserts a blank, while the single underscore glues two strings tightly together).

Finally, we have to increment the number ini. For this, the increment variant of an assignment is used, which is actually a shortcut for

$$
i=: i+1
$$

Of course, any expression that provides an integer value is possible. Note again the inversion over the increment in C , in order that all assignments start with an equals sign. Moreover, the amount to be added is after the plus character.

There is no such thing as the ++ operator in C and JAVA. While I loved it for the compact and tricky programming it made possible when I learned C 30 years ago, it makes programs harder to understand. At that time the performance gains might have been valuable, but the risk of unreliable and buggy programs is much larger. As early programming instructions wrote: Use parenthesis; the compiler knows the rules exactly, but you as a human will sometimes err.

Of course, the normal way to write the body is:

```
?# i =: from 1 upto 10
    print i, i*i
```

using the scan function from () upto () to provide integers as a number generator. Scan functions (also called enumerations) are simple yet powerful and can generate all kinds of items; this will be explained later.

Also, the print statement accepts a list of expressions, that are joined by a blank space.

### 2.3. Command line parameters

You might already know that old-fashioned programmers like me use a command line interface that allows to provide parameters.

The following program prints these parameters:

```
\ printparms: Just echo the parameters
main (parms):+
    ?# i =: from 1 upto parms.Last
        print i, parms[i]
    print "Total: ", i - 1
\+ TUFPL_stdlib.tufh
```

If run with the parameters $A b c 9$, the result should be:
1 A
2 bc
39
Total: 3
As there are many parameters possible, the command line shell creates a list of them, which the TUF-PL runtime converts to a table (a row), which is the parameter of main().

Again a scan function is used to deliver integer numbers, this time up to the value of the expression parms.Last, which is the .Last attribute (property) of parms, the largest index.

After the printed list, the total number of lines before is printed; as this scan provides the next (out of bounds) integer on termination, we have to subtract 1.

### 2.4. Print squares again

In the next example, the squares are calculated without multiplications, and their number is given as a parameter:

```
main (parms):+
    num =: string parms[1] as integer else 10
```

```
    \ squares by x }=(x-1\mp@subsup{)}{}{2}+2x-
    x=:0
    sum =:0
    ?# i =: from 1 upto num
        x=+i+i-1
        print i, x
        sum =+ x
    print "sum=" sum
l+ TUFPL_stdlib.tufh
giving
    11
24
39
416
525
636
79
84
981
10100
sum=385
```

The maximum number to be squared is given as a parameter on the command line; this is a string which must be converted to a (binary) integer number using the library function string (input) as integer else (default) .

So its time to explain now the probably most intriguing feature of TUF-PL: function calls do not need parenthesis. 2

Each function is a template of words and parameters, separated by blanks; the template for the above function written as:

```
string (str) as integer else (default)
```

Looking for a function call, the words in the expression are compared to the function templates; and if one fits, the scan advances, which is the case for string, as, integer and else. Note that these are not reserved words, just words matching the function template.

If there is no such word, as is the case for the 2 nd parms), it is checked if there is a parameter symbol, which is a word in parenthesis in the template. If it is, an expression is parsed, which is in this case parms[1], the first string on the command line. Then, matching resumes matching the words as, integer and else. Finally, the expression 10 matches the second parameter in the template.

So, in C , the statement would be written as

```
max = as_integer_else(parms[1], 20);
```

It is good programming style in TUF-PL to use function templates with more than one word, which is required for functions without parameters. Because it is needed so often, print is one of those few functions with one word only.

Using print and the other one-word function words as variable names is discouraged, because the function invocation has higher priority; to avoid surprises, the compiler will issue a warning.

Variables need not and cannot be declared; the just come into existence by using the variable name; and are initialised to void. Misspelled variable names that are thus void can lead to subtle programming errors; but - with a bit of experience - the source is quickly identified, even if the compiler does not complain about variables that maybe used before initialised, i.e. are not target of an assignment before used in an expression.

There are no type declarations in TUF-PL, any variable can hold any kind of item, and may even change it:

```
x =: 'x'
x=_1 \ same as x=: x_1 and thus converts integer to string
!x = 'x1'
```

The last line is an assertion statement, that will stop if the condition is not met. Note that comparison for equality uses a single equals sign.

### 2.5. Square root

A program to calculate a square root:

```
main(parms):+
    x =: string parms[1] as float else ()
    ? x = ()
    error print "Parameter " _ parms[1] _ " invalid, use decimal point: 2.0"
        :> 1
    print "sqrt(" _ x _ ")=", square root x
\ Iterative square root. If the initial value is > 1
    then the values are monotonically falling, no epsilon needed
\)
square root (a):
    !a>=0.0 \ argument must be a positive rounded number
    ?a<1.0 \iteration needs a > 1
        >1.0 / square root 1.0 / a
    x=:
    ?* \repeat until break
    y =: (x+(a/x)) / 2.0
    ? y >= x \if no longer falling values
        ?> \break
    x=:y \ save for comparison
    >> X
\+ TUFPL_stdlib.tufh
```

and, called with 2.0 as parameter, gives

```
sqrt(2)=1.41421
```

Besides numbers, strings and others, there is a special contents of a variable, called void, that is not a zero, not an empty string, neither false nor true, just nothing, indicated by a pair of parenthesis (the digraph ()). (Well, if found where number for addition is expected, it is treated as 0 , but not for multiplications and divisions.

This allows in the first line (ofmain) to indicate that the parameter string was not a valid number.
In the next line a plain condition - not a loop - is indicated by just a question mark, that questions the boolean expression that compares $x$ to void. If the condition holds, processing continues with the indented block, giving a message to the error output, thus the function error print () is used.

It follows a return with integer 1 as a return code from the whole program.
This time we use a function to do the calculation just to avoid to deeply indented code.
A function definition always starts in column 1, followed by the template, followed by a colon as last on the line. The function body is then just indented as usual.

The first statement is an assertion: an exclamation mark, followed by a boolean expression. The programmer wants to ensure that the parameter is not negative, and is a floating point number. If this is not the case, the program goes to an error stop. This is also the case if x is not a floating point number, as there are no automatic conversions between integer and floating point number and clearly not from strings.

The algorithm used is a bit unusual; you might miss an epsilon to terminate the iteration. That is annoying at least, as it requires to know the accuracy of the machine. But if started with a number greater 1.0, the values are monotonically falling in value, and then staying the same or oscillating. If there is no more progress, the condition $y>=x$ holds, and the loop is terminated with the break symbol?>. The symbols for function return and break are intentionally similar.

When the loop terminates, the value inx is the root, and returned to the caller.
If a negative floating point number is supplied, there will be a failure message like:
Fatal: Assertion failed: ! a >= 0.0
at 12 in square root (a)
Called at 6 in main (parms)
Called at 5636 in SYSTEM
telling that the co-operation between the function programmer and the main programmer was not close enough. know of no type system that allows to declare a non-negative floating point number to catch such an error at compile time.

If you enter 0.0 at the command line, you would expect to crash with a division by zero in the line

```
:> 1.0 / square root 1.0 / a
```

But modern floating point number arithmetic results ininf for infinity, and its reciprocal is 0.0 .

Instead of using the absolute value in the function, the input check is made better:

```
\(\mathrm{x}=\) : string parms[1] as float else ()
? \(\mathrm{x}=() \mid \mathrm{x}<0.0\)
error print ..
```

You might try to use the lines

```
?x=0.0
    :> 0.0
```

unaware of the language description telling that equality comparisons for floating point numbers are dubious and thus not allowed; only order comparisons are sensible. (Yes, you may write $\sim(x<0.0 \mid x>0.0)$ to circumvent, signalling any sensible programmer that reads the code a dubious comparison.)

### 2.6. Rational Numbers

Integer numbers may be - as in PYTHON - arbitrary long and are not restricted to 64 bits; so there is no integer overflow. If accurate numbers are required that are not whole numbers, rational numbers are supported (currently only as 32 bit numbers, just to prove the concept; will be extended to arbitrary precision):

```
\ sum up the fractions: 1+1/2+1/3+1/4 + ..
main (parms):+
    x =: 0
    ?# i =: from 1 upto 10
    x =+ 1 / i
    print i, x, x.float \or ##x or float x
\+ TUFPL_stdlib.tufh
giving
111
\(23 / 21.5\)
3 11/61.83333
4 25/12 2.08333
5 137/60 2.28333
6 49/20 2.45
7 363/140 2.59286
8 761/280 2.71786
9 7129/2520 2.82897
\(107381 / 25202.92897\)
```

The division operator may be used either for a pair of floating point numbers or a pair of accurate numbers, which are integers and rationals (integers are rationals with denominator 1). As can be seen from the 4th line on of the output, common divisors in nominator and denominator are automatically cancelled (and if the denominator is 1 , the result is given back as integer number).

The truncated division for integers is //, while the commonly used computer remainder is\%\%. See the documentation for reasons and variants.

### 2.7. Scan Functions

The already used scan function from () upto () is written in TUF-PL:

```
from (start) upto (end):
    :> from start upto end step 1
from (start) upto (end) step (step):
    ?$ = () \ first call?
        $ =: start \ yes, use start value
|
        $ =+ step \ no, increment
    rv =:$ \save
    ? $ > end | $ < start \done ?
        $ =: () \ yes
    :> rv
main(parms):+
    ?# i =: from 1 upto 12
        print i \ prints 1 to 12
    print i \ prints 13
\+ TUFPL_stdlib.tufh
```

giving
1
2
3
4
5
6
7
8
9
10
11
12
The first two lines just map the absent upper limit to 1 .
In the body for the next function, the special variable is used, called the local context of a scan. It is set to void at the begin of each scan. Upon entry to the function, this context variable is checked for void; if it is, its the first call, and the context variable set to it. Otherwise, it is incremented. Next, it is checked if the upper limit last has been exceed; if yes, the context variable is cleared to void. This signals the calling loop control that the loop is terminated, and the body of the loop, i.e. the print, is now skipped.

Because the check takes place after the assignment, the return value, which is the next value, is assigned tci. This is necessary in case the scans ends prematurely and returns a fault item to indicate this case.

Dropping the line $\mathrm{rv}=: \$$ and returning $\$$ supplies void to $i$ when the loop is ended.
Note that the scan can also be used to supply floating point or rational numbers:

```
main(parms):+
    ?# i =: from 1 upto 2 step 1/10
        print i
l+ TUFPL_stdlib.tufh
gives
    1
    11/10
    6/5
    13/10
    7/5
    3/2
    8/5
    17/10
    9/5
    19/10
    2
```

Scan functions look a bit clumsy because their initialisation takes space, and the context variable\$ is unusual, but are much easier to implement in a precompiler and more efficient than true coroutines.

Surely scan functions can nested, e.g. to supply a multiplication table:

```
main (parms):+
        ?# i =: from 1 upto 9
            ?# j =: from 1 upto 9
            print (pad left i*j to 3) nonl
        print "
\+ TUFPL_stdlib.tufh
gives
123456789
24681012141618
36 9121518212427
4 81216202428 3236
510152025 30 354045
61218243036424854
7142128 35424956 63
8162432404856 6472
91827 364554637281
```

The print function print () nonl does not terminate with a line feed (the parenthesis were written for clarity; they are not necessary). Note that the pad function accepts either numbers or strings, and always delivers a string.

A scan function can often be used to deliver less simple integer sequences by using e.g. tuples (pairs, immutable rows) as scan context:

```
give fibonacci numbers upto (n):
    $ =~ 0,1 \ initial tuple if first call
    r=:$.1 + $.2 \ next number
    $ =:$.2,r \ save previous and current value
    ? r >= n
            $ =: () \ end of scan
        > r \ return next number in any case
main (p):+
    ?# f =: give fibonacci numbers upto 100
        print f
\+ TUFPL_stdlib.tufh
```

giving
1
2
3
5
8
13
21
34
55
89

The tutorial currently ends here. If you would like to have it continued, send me your comments tctufpl@rclab.de.

## 3. Advanced Features

### 3.1. Aggregates (Maps and Rows)

There are two primary types of aggregates:

- Maps: associative memory addressed by any item, often a string
- Rows: indexed arrays addressed by dense small integers

As maps may also be addressed by integers, a row is a special kind of item optimised if the keys are integers within a decent range that allows to allocate all cells in the range used actually.

Both are expanded as required, but rows keep every cell ever used (unless manually condensed), while maps keep only the the set of used keys.

To create a table square numbers would read:

```
collect squares upto (n):
    r=: new row
    ?# i =: from 1 upto n
        r[i] =: i*i
    > r
```

The word new is not an operator, just a convention for a factory function, and may be different in other languages.
To count the words of a file, using the functionfile (f) give words :

```
count words of (fn):
    m =: new map
    ?\# w =: file fn give words
        \(m\{w\}=+1\)
    print unsorted
    ?\# w =: map m give keys
        print w, m\{w\}
```

The cells (elements) of rows and maps can be any mix of references to any item, be it an number, string, map or row.

As the primary function of a map is to store items under a key and return them if the same key is used, only items that can be sensibly compared for equality are accepted as keys. This excludes floating point numbers, which are equal only within an application dependent difference.

For both, the usual notion like row[integer] or map\{string\} is used. To remind the programmer to the difference of maps and rows, maps are indexed by curly braces.

### 3.2. Fields

Both may additionally have any number of fields, denoted by the common field notation using dots, i.emap.field and row.field. They are attached dynamically to a map or row with a name given at compile time; like static map elements. As an example, the maximum could could be kept in a field and the map returned with this field for further processing:

```
count words of (fn):
    m =: new map
    m.max =: 0
    ?# w =: file fn give words
            m{w}}=+
            ? m{w} > m.max
                m.max =: m{w}
    :> m
```

Field names should start with a small letter by convention.

### 3.3. Attributes and controls

Some metadata of items can be obtained using field notation.
The number of actually used cells in a map or row is obtained by using the worc.Count in field notation:

```
m =: new map
m{1} =: 3.5
m{'y'} =: 17
!m.Count = 2 \ field notation
! attr m count = 2 \ function notation
```

If a attribute can be the target of an assignment to change an item, the are calledcontrols.
Attributes and controls start with a capital letter; in old code, they may be used with a small one.
As the names of attributes and controls are always available in English, they are not localisation agnostic as such, but as the namespace is separate, localise aliases may be provided.

### 3.4. Class functions

While TUF-PL is a rather conventional language - except the function templates - it has some features that make it easier to follow an object oriented design.

As a syntactical aid, the first parameter may be the single scroll symbol@), same as this in other languages:

```
integer(@) square:
```

```
    :> @^2
```

No restriction is imposed on this; but normally the use of the scroll@) indicates that a map (or row) is used as first parameter, that can be changed inside:

```
new my bunch:
    r=: new map
    r.Tag =: 'my bunch'
    :> r
my bunch (@) set attr (val):
    ! @.tag = 'my bunch'
    @.attr =: val
my bunch (@) get attr:
    ! @.tag = 'my bunch'
    :> @.attr
```

Still, the example just obeys the convention that objects are created using factory functions, and the objects are tagged by a sequence of words that are used a the first words upto the first parameter, denoted by the scoll symbol.

Nothing changes so far if any other word, e.g.this, is used instead of the scoll symbol.

With these conventions, an object oriented design could be programmed fairly clear without any special language features

As there is no automatic conversions of accurate to rounded numbers, two functions would be needed to halve a number (note that truncating division is used for integers):

```
integer(@) halve:
    :> @ // 2
float(@) halve:
    :> @ / 2.0
halve(@):
    ? is @ float
        :> float @ halve
    :> integer(@) halve
```

This silly example is used to introduce a language feature, theclass function call, using the double colon:

```
x =: 3.0
print x::halve
y =: 3
print y::halve
```

The double colon is a function call operator, that dynamically determines theclass of the variable (in this case its kind), and selects the function for which the tail after the first parameter (which must be a scroll) matches like any other function template match.

Although the details are not very complex, they should not be elaborated here.
For convenience, instead of the scroll in parenthesis(@), a double colon may be used in the function template:

```
integer :: halve:
    :> @ // 2
```


### 3.5. Constraints

Typed programming languages declare each variable to conform to certain rules, be it integers, floating point number, strings or whatever. They could be regarded as predefined constraints, in that integer types restrict the value to certain ranges of numbers.

TUP-PL is designed to support such constraints flexibly, declared within the language. A number can be constrained to a range, and a variable to contain only numbers or a mix of numbers and strings.

This constraints system is discretionary by design and may be used to automatically generate assertions and optimise code.

Whether this concept is practical, is still open; the current compiler just ignores constraints.

[^0]
[^0]:    ${ }^{1}$ Having spent many hours of debugging by accidentally writing $C$ assignments in expressions where equality comparison was intended, and having started 50 years ago programming in ALGOL 60, I still do not like the equation symbol for assignments.
    ${ }^{2}$ I learned this from the STAGE2 macroprocessor published in 1970 by W. M. Waite: http://citeseerx.ist.psu.edu/viewdoc/download?doi=10.1.1.98.965\&rep=rep1\&type=pdf.

